# **ANTIGONES:** Antifragile Optimization of Nonlinear Large-scale Systems

Cooperation Project Kick-off









### **Outline**

### 1. Antifragility and traffic control

- The concept of antifragility
- Induced Antifragility

### 2. ANTIGONES Project

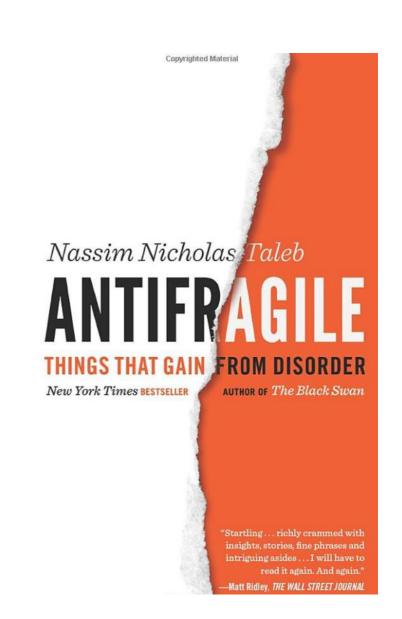
- Core idea
- Development
- Expected results

# **Antifragility**

The notions of **fragility** and **antifragility** were introduced by **Taleb** (2011).

Fragility is related to how a dynamical system suffers from the variability of its environment beyond a certain preset threshold, while antifragility refers to when it gains from this variability.

The **key** is to consider a **fragile-robust- antifragile continuum** in system's **design**, **parametrization** and **control**.



### **Antifragility**

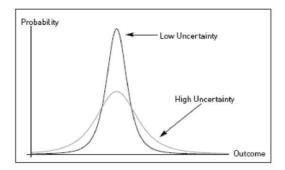


FIGURE 25. Case 1, the Symmetric Case. Injecting uncertainty into the system makes us move from one bell shape—the first, with narrow possible spate of outcomes—to the second, a lower peak but more spread out. So it causes an increase of both positive and negative surprises, both positive and negative Black Swans.

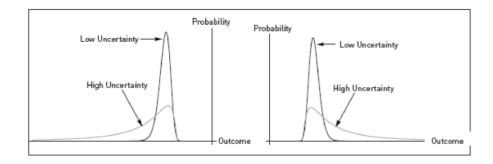
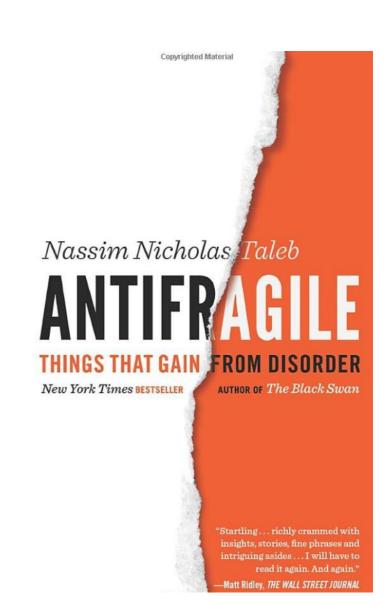
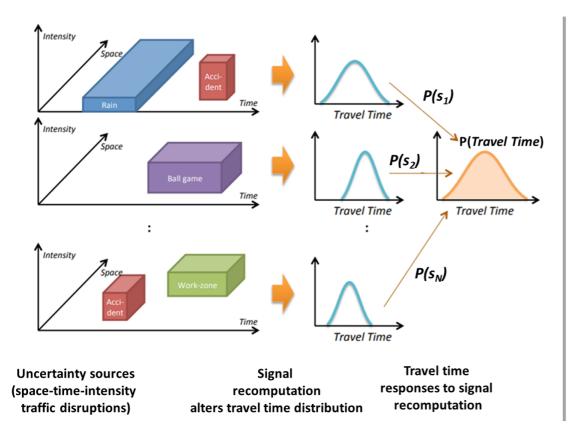


FIGURE 26. Case 2 (left): Fragile. Limited gains, larger losses. Increasing uncertainty in the system causes an augmentation of mostly (sometimes only) negative outcomes, just negative Black Swans. Case 3 (right): Antifragile. Increasing randomness and uncertainty in the system raises the probability of very favorable outcomes, and accordingly expand the expected payoff. It shows how discovery is, mathematically, exactly like an anti–airplane delay.



# **Antifragility and traffic control**

The concept of antifragility

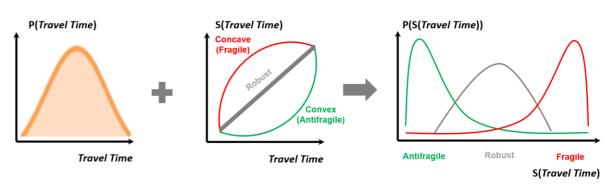




Distribution of

responses to signal

recomputation



Travel time

response to signal

recomputation

Distribution of

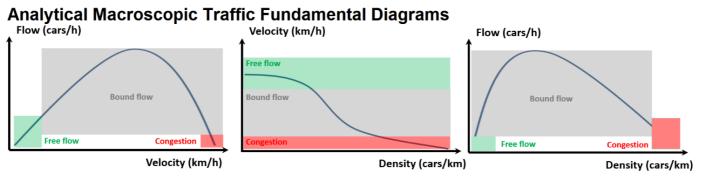
travel time

given recomputation

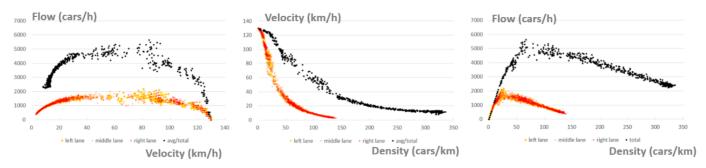
with disruptions

### **Antifragility in traffic control**

The concept of antifragility



#### **Observed Macroscopic Fundamental Diagrams on Highway**



#### Mapping Fragile-Robust-Antifragile Spectrum to Traffic Fundamental Diagrams





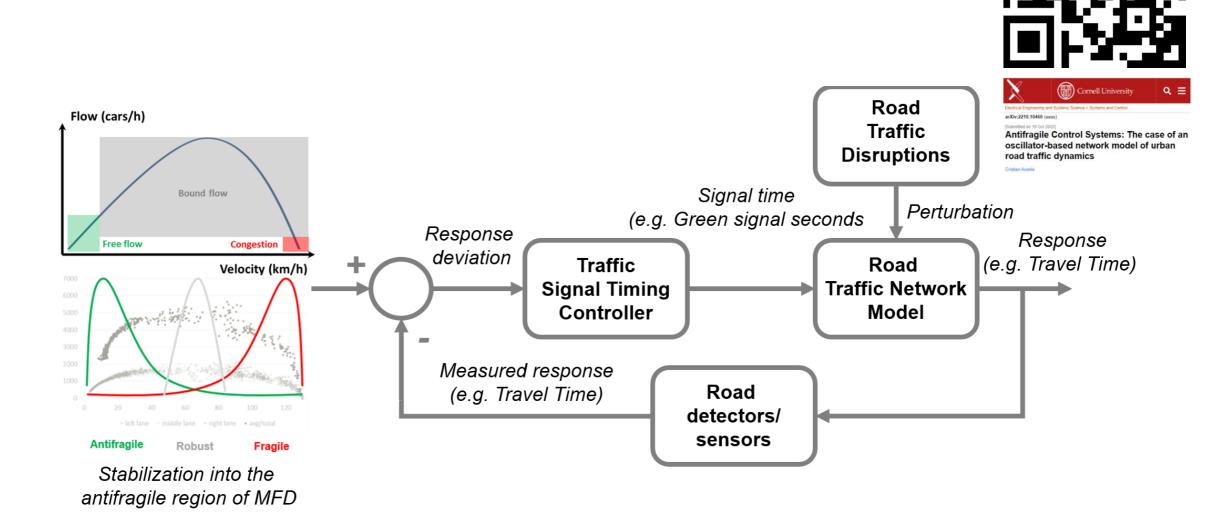


Antifragile Control Systems: The case of an oscillator-based network model of urban road traffic dynamics

Cristian Avenie

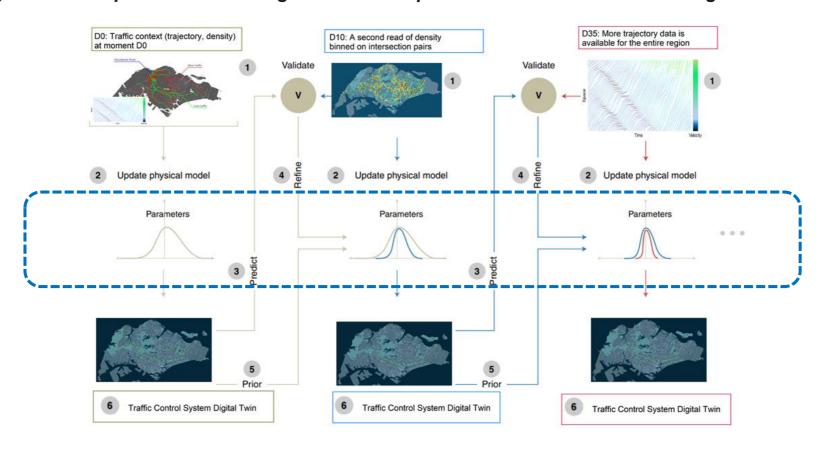
### **Antifragility in traffic control**

**Induced Antifragility** 



#### Core idea

Fundamentally, the key technology is a **physics-informed machine learning framework** that amounts to introducing appropriate observational, inductive or learning **biases** that can **steer the learning process** towards identifying physically consistent solutions of the **closed-loop control**. Such a solution give the system the unique property that it **gains structural integrity** and **performance gain** as it is **exposed** to **increasing** levels of traffic **pressure...hence become antifragile**.

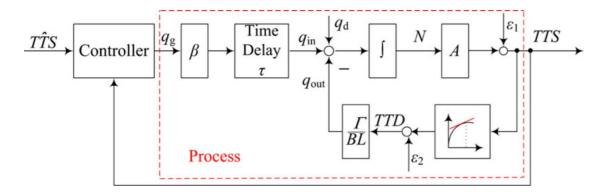


#### **Exploration directions**

#### **Robust control design**

To avoid congestion-caused degradation (i.e. a TTD decrease), the critical value (i.e. the value of TTS at which the maximum TTD is attained) in the fundamental diagram is considered as the set value for the controller. The control goal is to keep the traffic state of the region around the set value, so that TTD is maximized and the network does not enter the over-saturation area in the fundamental diagram.

Total Traveled Distance (TTD in veh km per h), Total Time Spent (TTS in veh h per h)

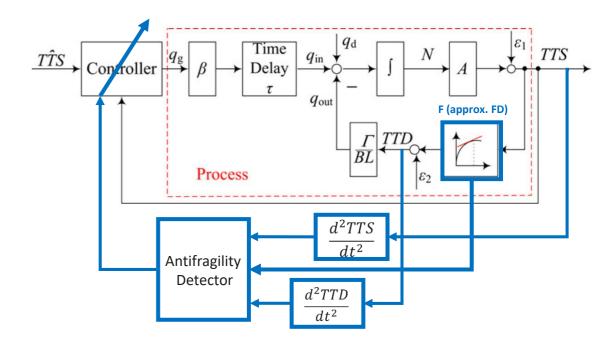


Exploiting the fundamental diagram of urban networks for feedback-based gating

Mehdi Keyvan-Ekbatani <sup>a,\*</sup>, Anastasios Kouvelas <sup>b</sup>, Ioannis Papamichail <sup>a</sup>, Markos Papageorgiou <sup>a</sup>

#### **Antifragile control design**

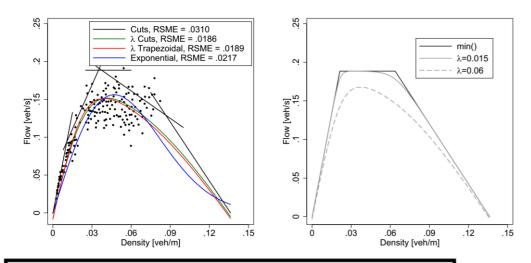
In order to drive the system towards the desired region of the fundamental diagram mapped to fragile-robust-antifragile continuum, the antifragile controller is updated based on the curvature of both TTS and TTD (i.e. second order effect) and the learnt F (i.e. learnt approximation of the fundamental diagram form observations). The antifragility detector applies some heuristics (i.e. statistical) to update the parameters of the controller.



#### **Exploration directions**

#### Functional forms of the fundamental diagram

Introducing a new parameter ( $\lambda$ ) that can be useful in many future MFD applications from analyzing urban congestion to traffic control. In this functional form, the **fundamental diagram can** be either estimated from measurements or defined a-priori, either **analytically** or with **additional measurements** in the network, while the smoothing is quantified with a single parameter  $\lambda$ .



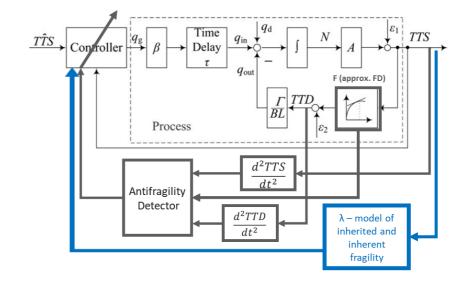
A functional form with a physical meaning for the macroscopic fundamental diagram

Lukas Ambühl<sup>a</sup>, Allister Loder<sup>a,\*</sup>, Michiel C.J. Bliemer<sup>b</sup>, Monica Menendez<sup>c,d,a</sup>, Kay W. Axhausen<sup>a</sup>

#### **Antifragility quantification**

In order to drive the system towards the desired region of the fundamental diagram mapped to fragile-robust-antifragile continuum, the antifragile controller uses  $\lambda$ . The parameter  $\lambda$  becomes then a collective and networkwide quantification of flow reducing factors, caused by infrastructure, between-vehicle interactions, and other means of transportation such as cycling and walking.

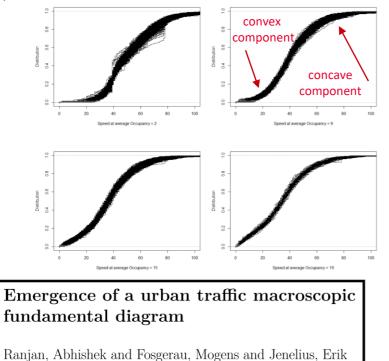
For the same fundamental diagram, flow values decrease with increasing values of  $\lambda$ . Smaller values of  $\lambda$  indicate that the infrastructure is used more efficiently and that performance losses due to vehicle interactions are smaller.



#### **Exploration directions**

#### **Fundamental diagram robustness**

Observing the stable relationship between the space-averages of speed, flow and occupancy are not sufficient to infer a robust relationship and the emerging fundamental diagram cannot be guaranteed to be stable if traffic Interventions (i.e. traffic light control to react to disruptions) are implemented. Second order effects in responses (i.e. speed distributions) to adapt controller operation.

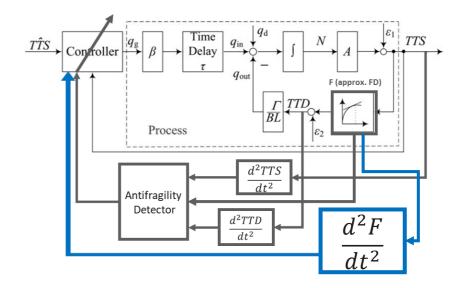


#### Antifragile control using fundamental diagram curvature

What does this imply for the use of an fundamental diagram for traffic control? **Metering would affect the observed shape of the fundamental diagram a**nd that it therefore does not predict the effect of metering.

So it should now be clear that merely observing a stable relationship between space-averages of speed or flow versus occupancy is not sufficient to infer the existence of a robust relationship that can be used for traffic control.

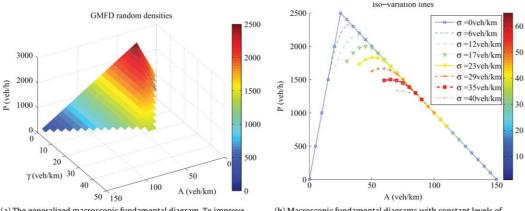
Quantifying the **curvature of individual responses** to **signal re-computation/metering** could enable a **correction** of the fundamental diagram **approximation in F**.



#### **Exploration directions**

#### Fundamental diagram with density inhomogeneity and nonlinearity

Macroscopic Fundamental Diagram (MFD) when aggregated over an area, describes the relationship between accumulation and production and is quite crisp. This can be an aspect of the law of large numbers: the more data is aggregated, the less influence the differences in drivers characteristics have. For control purposes, it is very useful to have a strict relationship on the basis of which control can be applied. Traffic dynamics in congested networks inherently leads to traffic inhomogeneity, because, under increasing traffic volume loaded onto the network at some point congestion will set in at one of the (potentially many) bottlenecks in a network.



(a) The generalized macroscopic fundamental diagram. To improve visibility of the surface, the graph is rotated such that the axis of density increases from right to left.

(b) Macroscopic fundamental diagrams with constant levels of spatial inhomogeneity of density.

Fig. 1. The generalized macroscopic fundamental diagram based on independent road stretches.

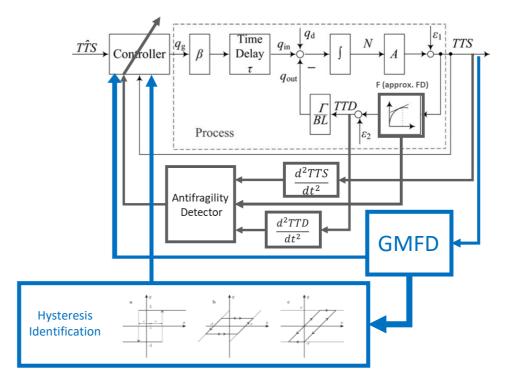
Traffic dynamics: Its impact on the Macroscopic Fundamental Diagram

Victor L. Knoop\*, Hans van Lint, Serge P. Hoogendoorn

#### Antifragile control exploiting traffic dynamics (inhomogeneity and nonlinearity)

Exploit the fact that production is a continuous function of accumulation and spatial inhomogeneity of density and learn the production function ((i.e., the average flow of vehicles per unit of time)).

Capture the hysteresis effects found in the MFD using the GMFD to employ in the antifragile control scheme. For instance, it can be used for estimating speed in a (sub-) network, and traffic can be guided over the faster routes.



# Thank you.

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